

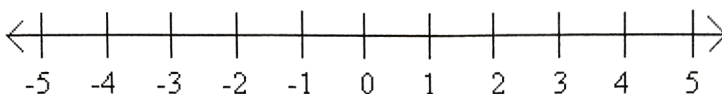
Name: \_\_\_\_\_

Date: \_\_\_\_\_

Aim: How can we review the properties of numbers?

# DO NOW:

Place the following numbers on the number line.

-2      1.5      0.3       $\sqrt{16}$        $\pi$        $\sqrt{11}$ 

## Squares and Square Roots

Perfect square numbers represent the product of a rational number multiplied by itself.



How would we take the square root of a "non-perfect" square number?

SQUARES	SQUARE ROOTS
$1^2 = 1$	$\sqrt{1} = 1$
$2^2 = 4$	$\sqrt{4} = 2$
$3^2 = 9$	$\sqrt{9} = 3$
$4^2 = 16$	$\sqrt{16} = 4$
$5^2 = 25$	$\sqrt{25} = 5$
$6^2 = 36$	$\sqrt{36} = 6$
$7^2 = 49$	$\sqrt{49} = 7$
$8^2 = 64$	$\sqrt{64} = 8$
$9^2 = 81$	$\sqrt{81} = 9$
$10^2 = 100$	$\sqrt{100} = 10$
$11^2 = 121$	$\sqrt{121} = 11$
$12^2 = 144$	$\sqrt{144} = 12$

### Estimating Square Roots

Let's consider  $\sqrt{11}$  from the Do Now.

- 1) Between which two perfect squares is  $\sqrt{11}$  located?
- 2) Evaluate each of those perfect squares.
- 3) Which one is  $\sqrt{11}$  closer to?

Evaluate each of the following square roots (*estimate when necessary*). Treat square roots like parentheses in the order of operations - always evaluate them first!

1)  $\sqrt{100}$

2)  $-\sqrt{100}$

3)  $\pm\sqrt{49}$

4)  $\sqrt{81} \times \sqrt{121}$

5)  $(\sqrt{25})^2$

6)  $\sqrt{16} + \sqrt{9}$

7)  $\sqrt{16 + 9}$

8)  $\sqrt{5}$

9)  $\sqrt{\frac{9}{16}}$

### Properties of Real Numbers

Property	Addition	Multiplication	Definition
<b>Commutative</b>			Changing the order of the numbers will not change the result.
<b>Associative</b>			Changing the grouping symbols will not change the result.
<b>Identity</b>			Any number plus 0 is equal to itself. Any number times 1 is equal to itself.
<b>Inverse</b>			For each real number ( <i>except 0</i> ), there exists an opposite number ( <i>additive inverse</i> ) and a reciprocal ( <i>multiplicative inverse</i> ).

<b>Distributive</b>		Multiplication can be distributed over addition or subtraction ( <i>combines two operations</i> ).
<b>Zero Product</b>		Any number times 0 is always equal to zero.

Name the property shown by each statement. **Remember to use the full name of the property.**

**Ex:**  $5 + 4 = 4 + 5$  is an example of the Commutative Property of Addition

Statement	Property
$-5 + 0 = -5$	
$6(4 + 2) = 6(4) + 6(2)$	
$\sqrt{10} + (-\sqrt{10}) = 0$	
$-3(7) = 7(-3)$	
$(2 + 10) + 7 = 2 + (10 + 7)$	
$\frac{1}{4}(4) = 1$	
$\frac{1}{2} \bullet 1 = \frac{1}{2}$	

## Connections

- 1) Does the associative property work under division? Explain.
  
- 2) Does the associative property work under subtraction? Explain and give an example.
  
- 3) Which shows the Commutative Property of Multiplication?  
A)  $15 \times 19 = 51 \times 91$     B)  $71 + 63 = 63 + 71$     C)  $54 \times 81 = 81 \times 54$     D)  $37 \times 26 = 26 + 37$
  
- 4) Which expression is equivalent to  $(5 \times 3) \times 7$ ?  
A)  $5 \times (3 + 7)$     B)  $5 \times (3 \times 7)$     C)  $5 + (3 \times 7)$     D)  $(5 + 3) \times 7$
  
- 5) What property is demonstrated in #4?
  
- 6) Which shows the Zero Product Property?  
A)  $64 \times 0 = 64$     B)  $12.8 + 0 = 12.8$     C)  $1 \times 765 = 765$     D)  $0 \times 32 = 0$
  
- 7) Alice claimed that  $14(23 - 3) = 14 \times 23 - 14 \times 3$ 
  - a) Is Alice correct?
  
  - b) Which property justifies Alice's equation?



The \_\_\_\_\_ lay the mathematical foundation we need to work with expressions, equations, formulas, and more.